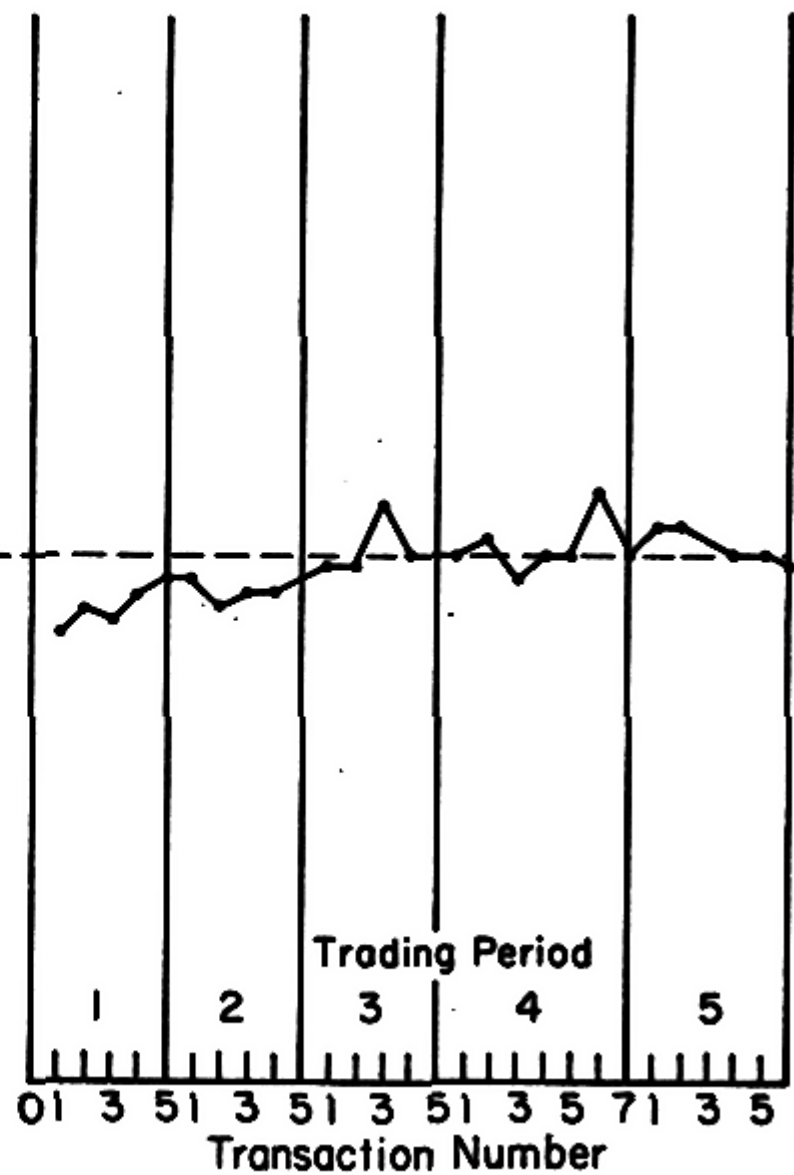
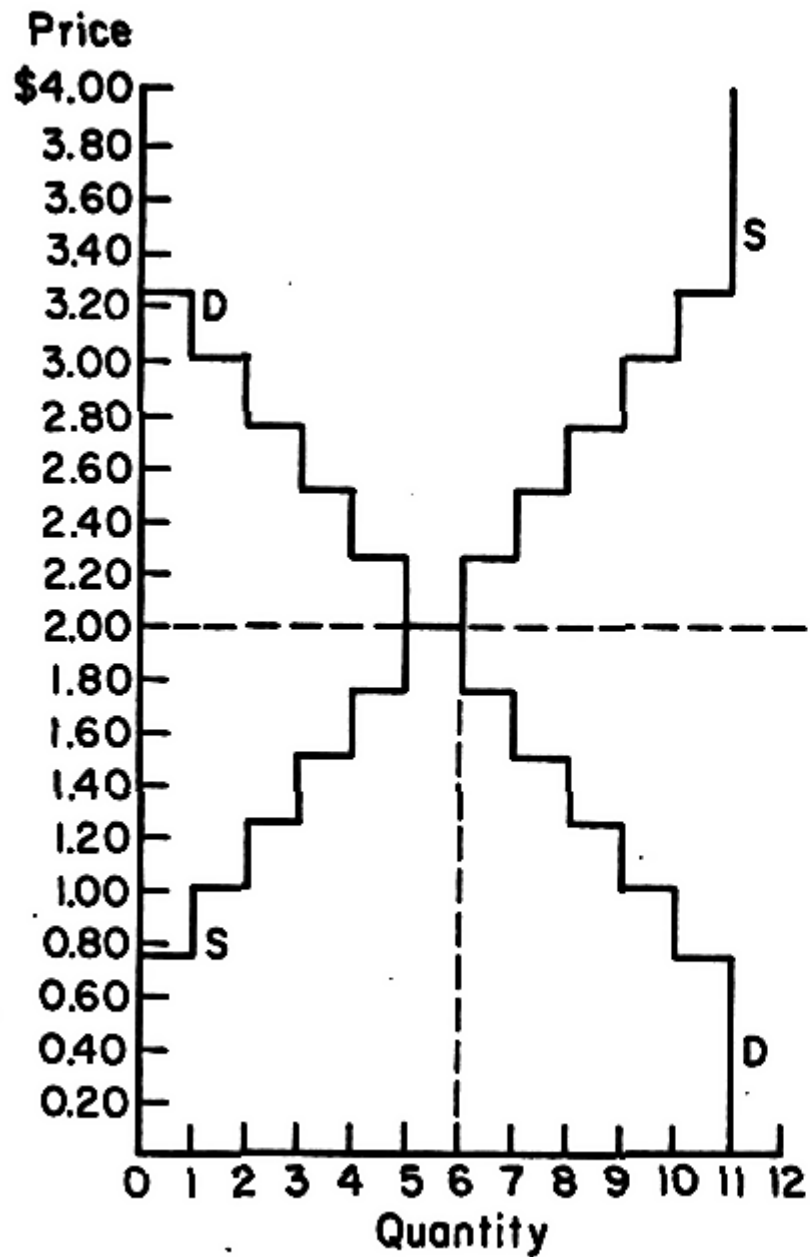


**Price Controls, Non-Price Quality Competition
and Unblocked Assignments as an Appropriate
Generalization of Competitive Equilibrium**

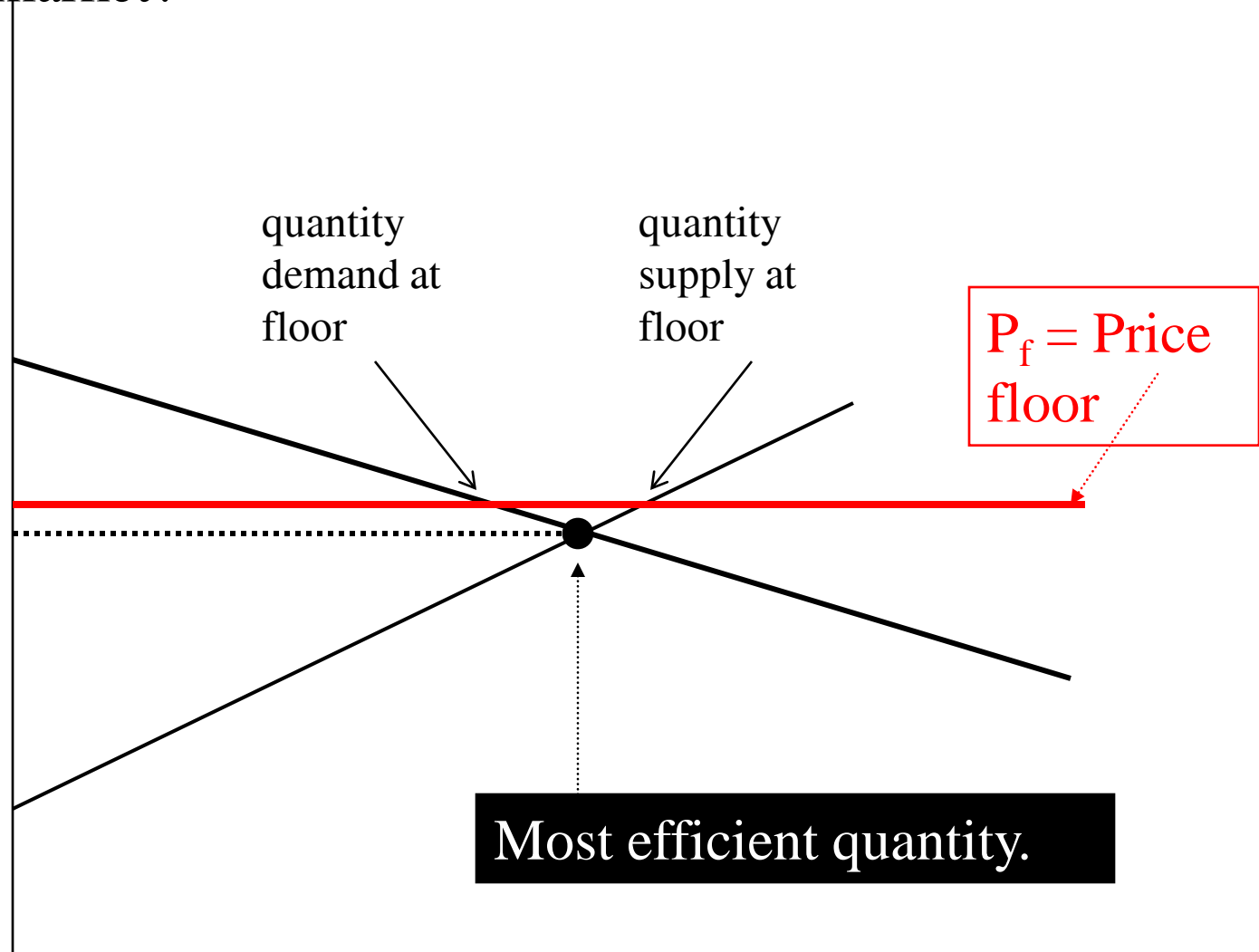
**John W. Hatfield
Charles R. Plott
Tomomi Tanaka**

Lee Center Seminar
May 2009

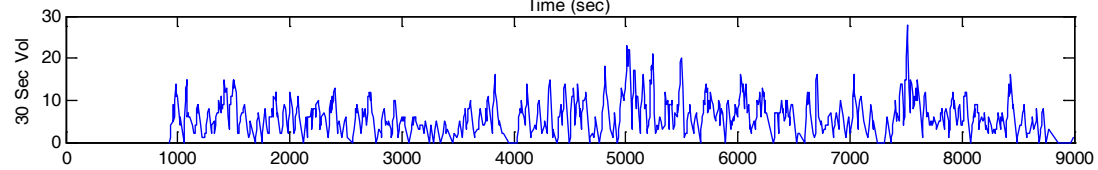
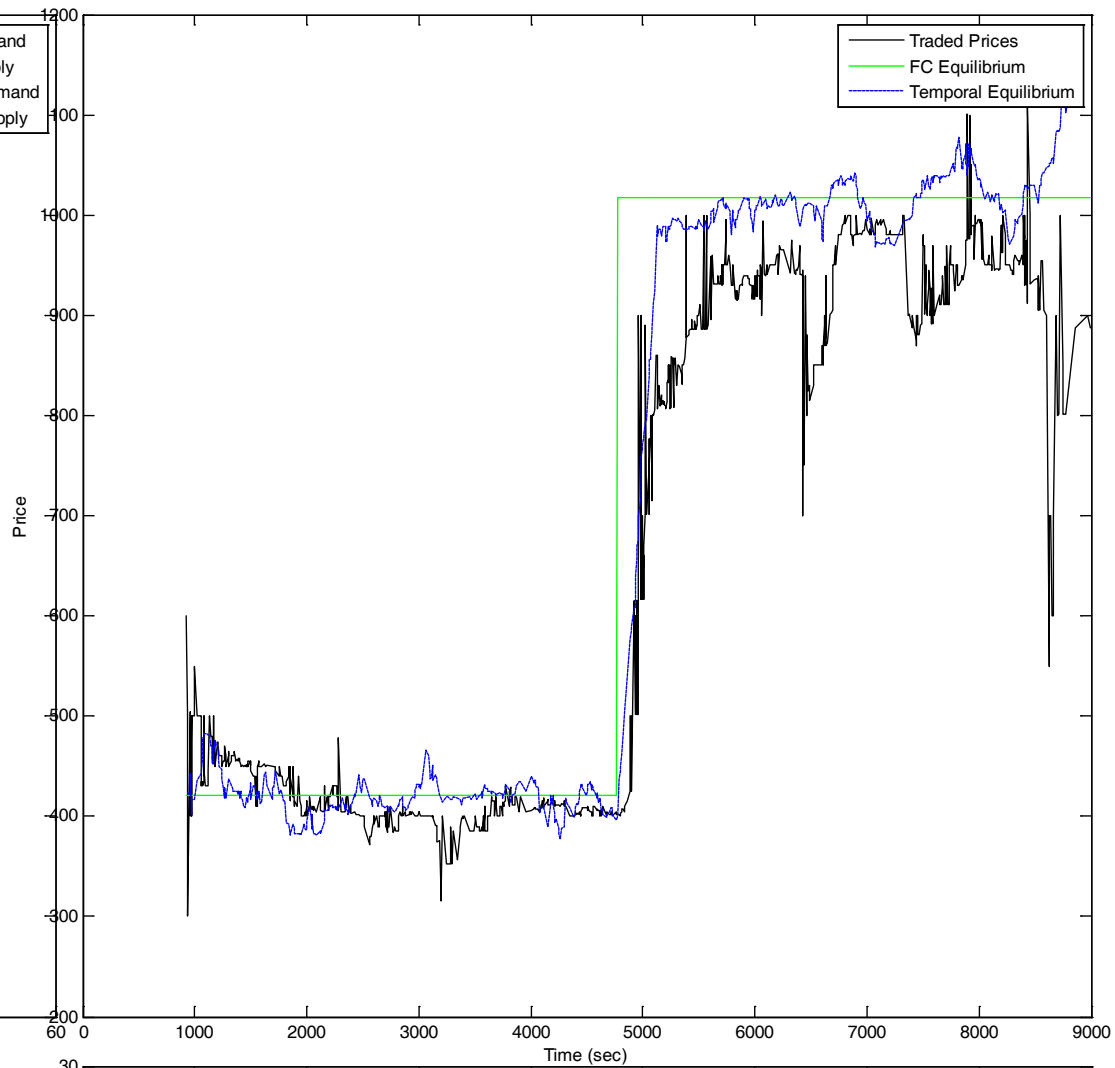
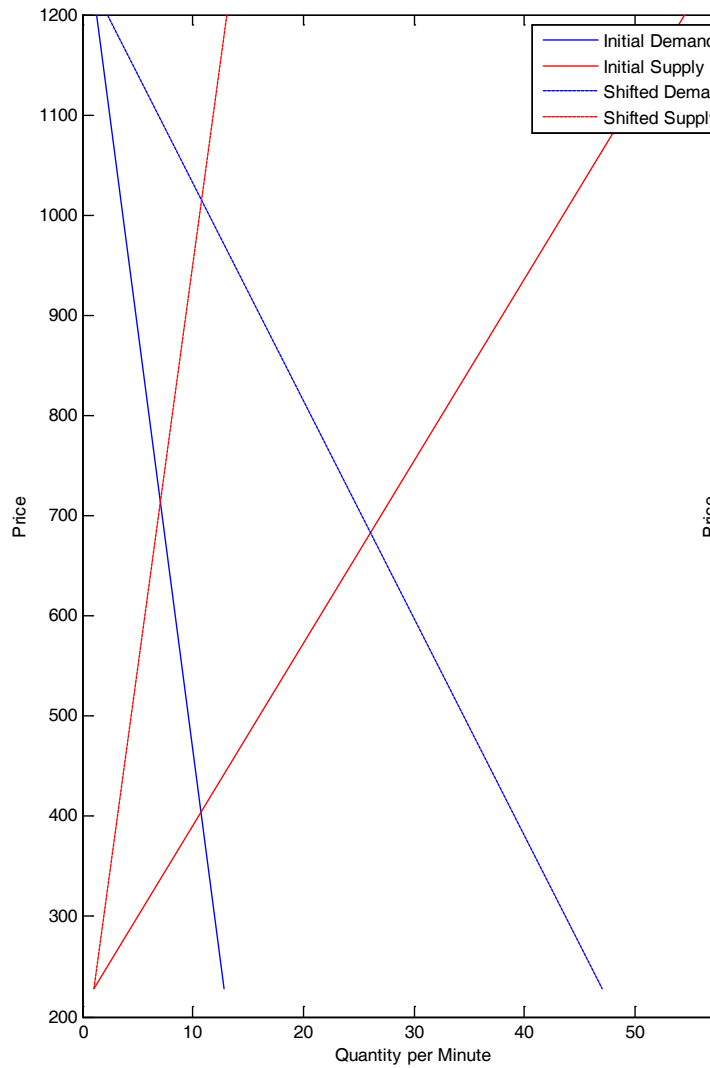
CHART I

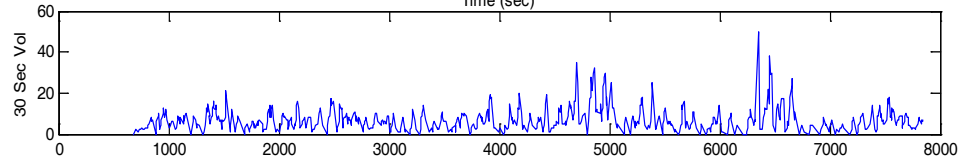
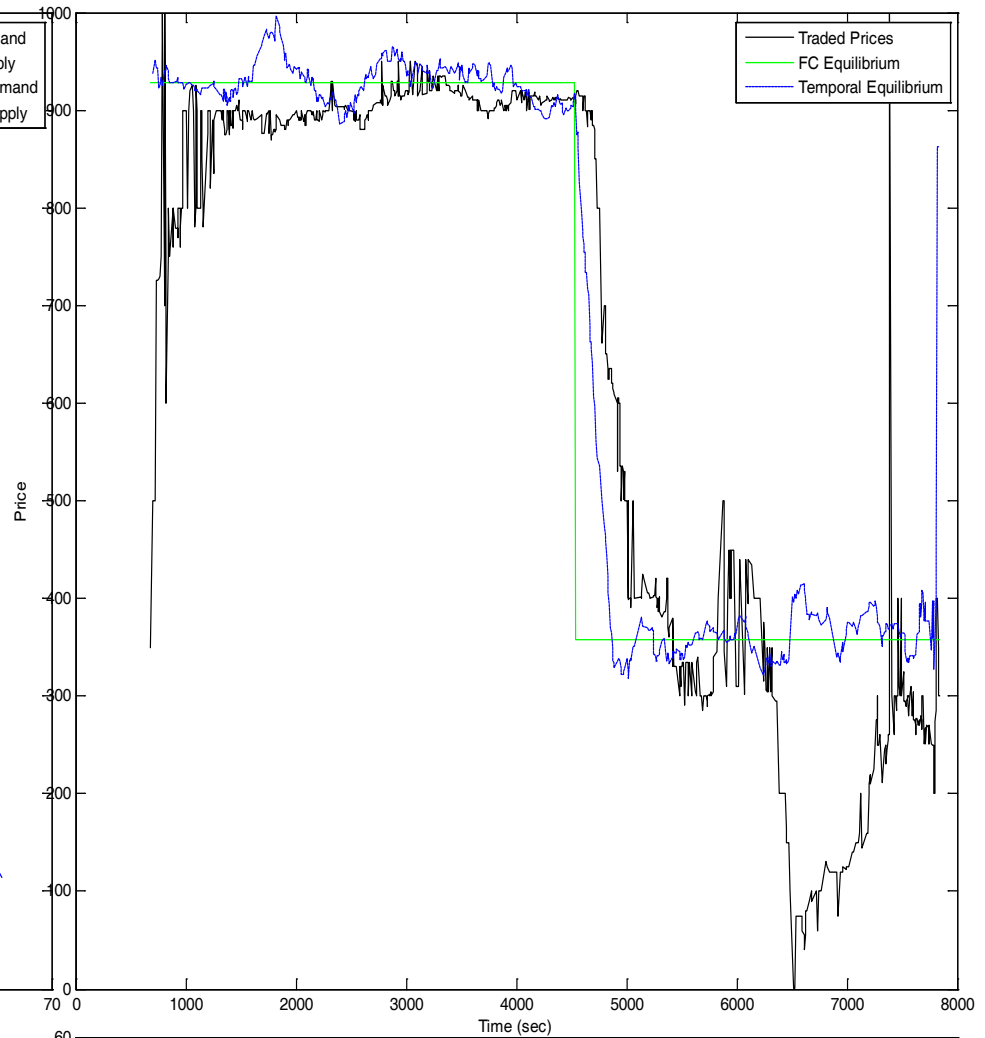
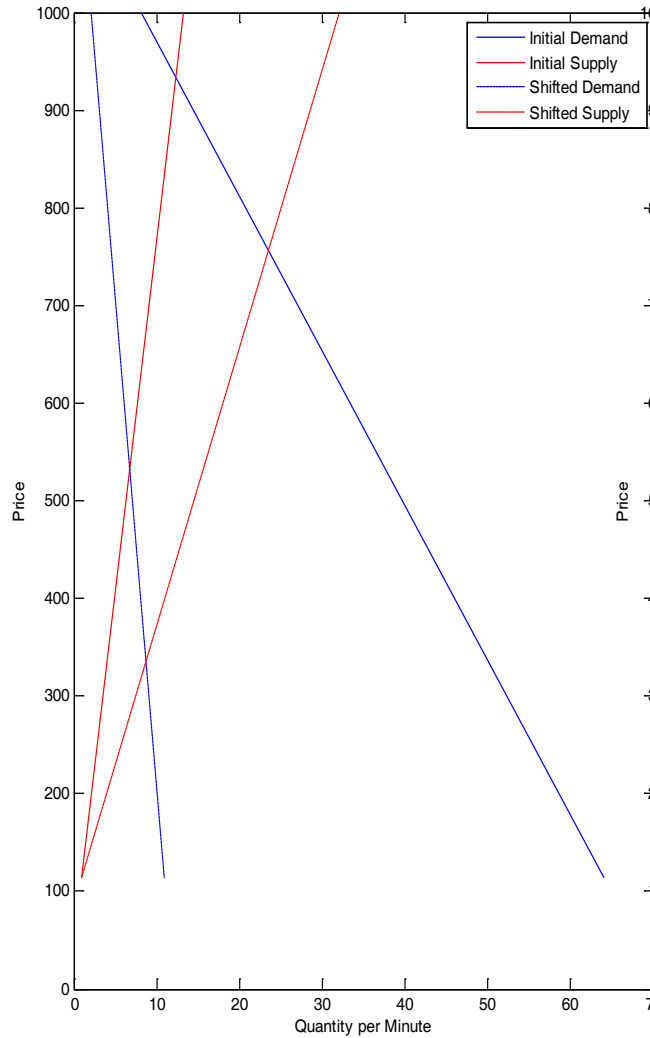


What do we expect if a price floor is imposed on a market?



$D(P_f) < S(P_f)$: The competitive equilibrium does not exist..

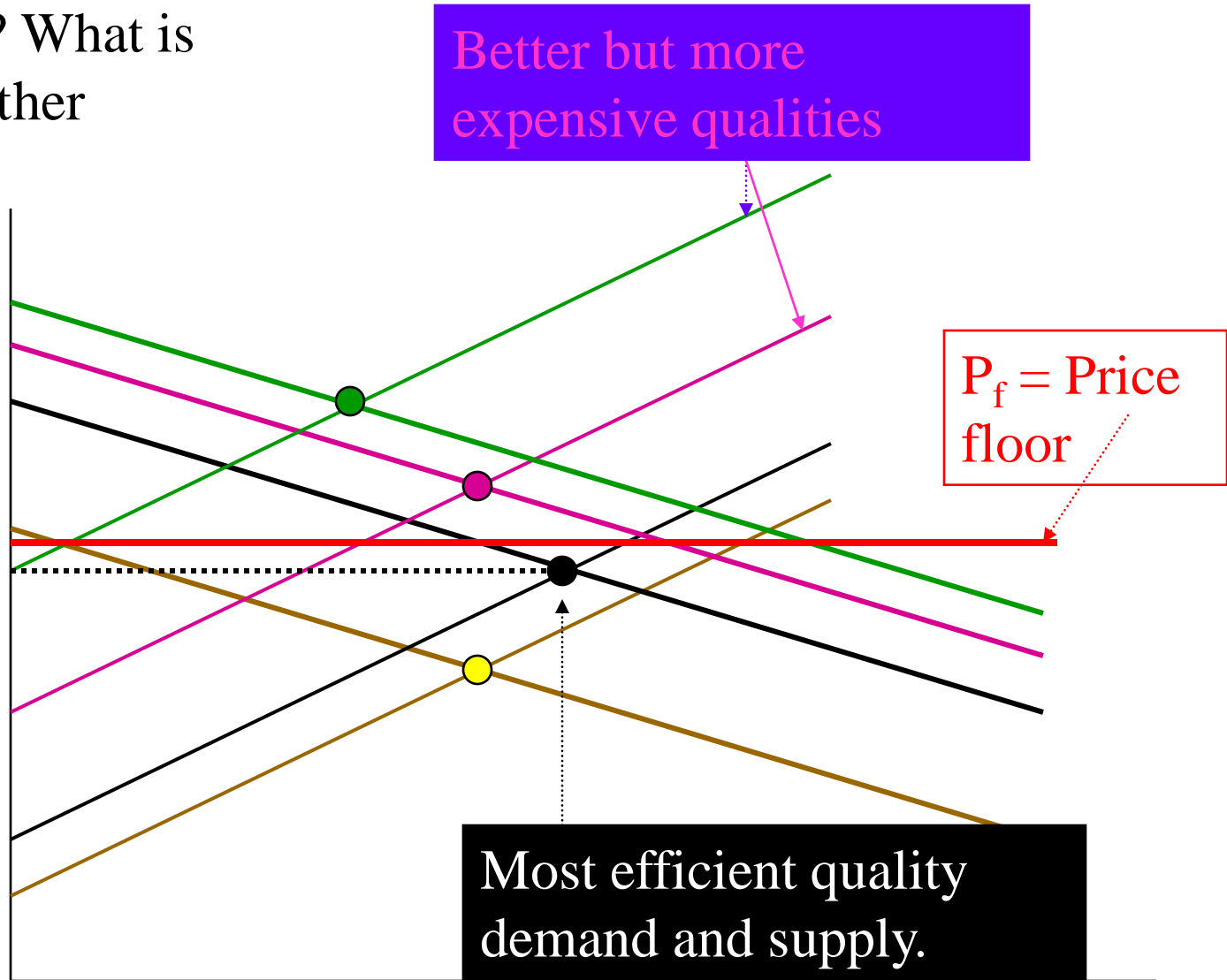




FEATURES OF EXPERIMENT

- multiple qualities of the same good
- In the competitive equilibrium only one quality will survive and that is the most “efficient” quality.
- The most efficient quality is the one that maximizes the “wealth” of the participants.

A price floor is imposed
what happens? What is
the effect on other
markets?



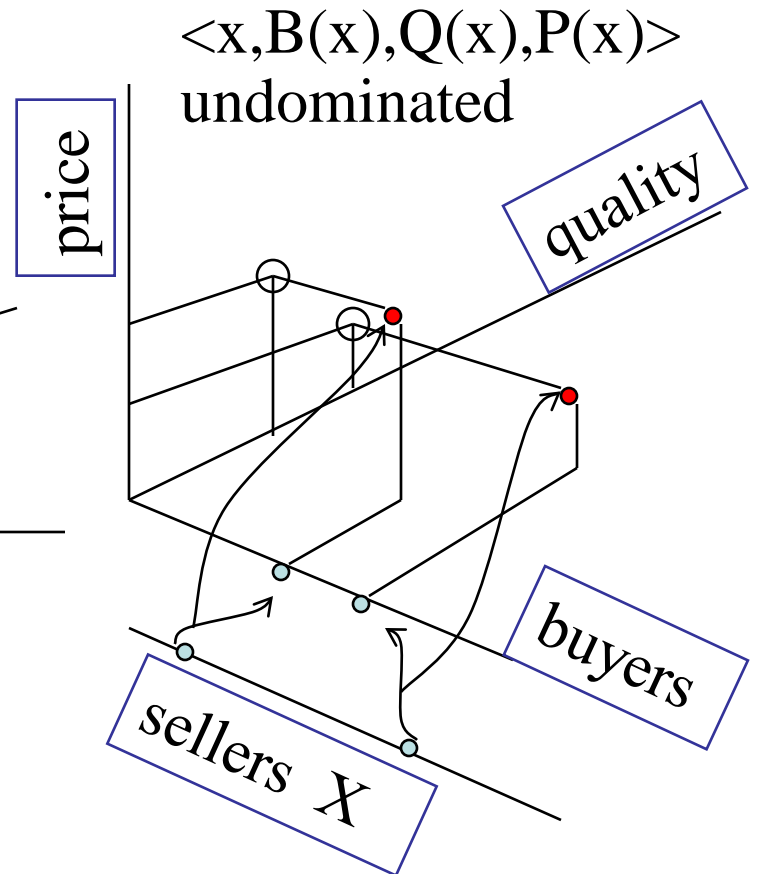
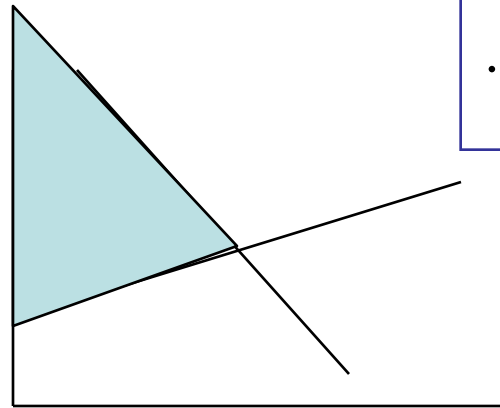
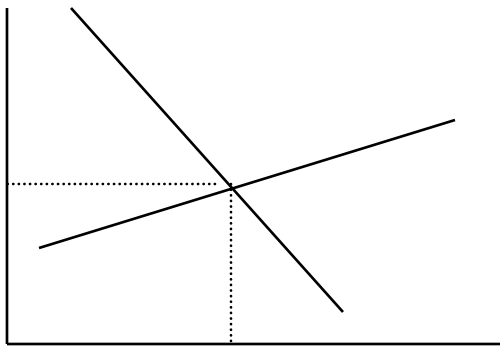
$D(P_f) < S(P_f)$: The competitive equilibrium does not exist..

QUESTIONS

- **In an unconstrained environment, how do multiple qualities adjust?**
- **What is the impact of a price floor on product quality?**
- **What model works?**
 - **the efficiency seeking hypothesis**
 - **the neighboring quality hypothesis**
 - **the unblocked assignments**

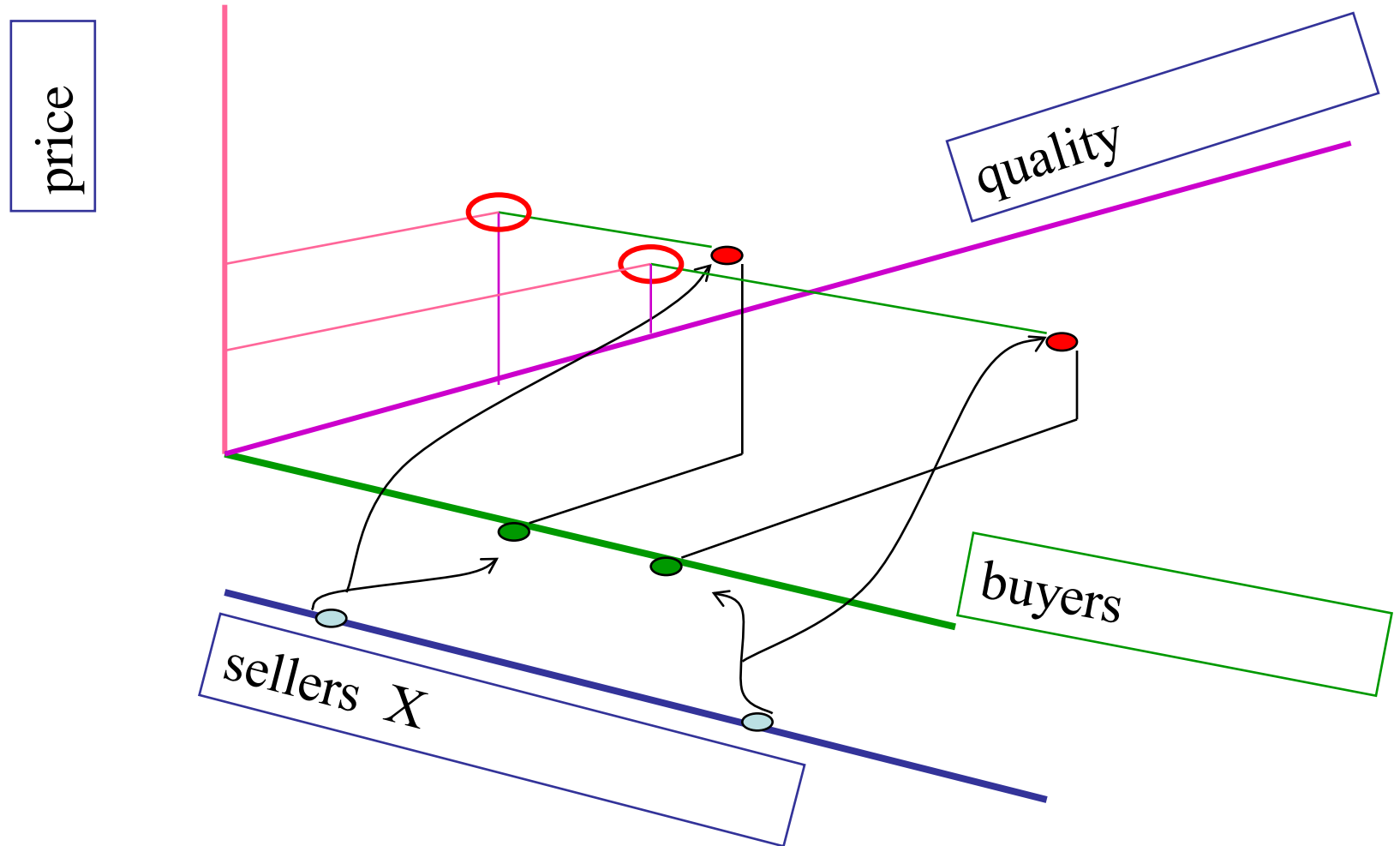
COMPETING PRINCIPLES

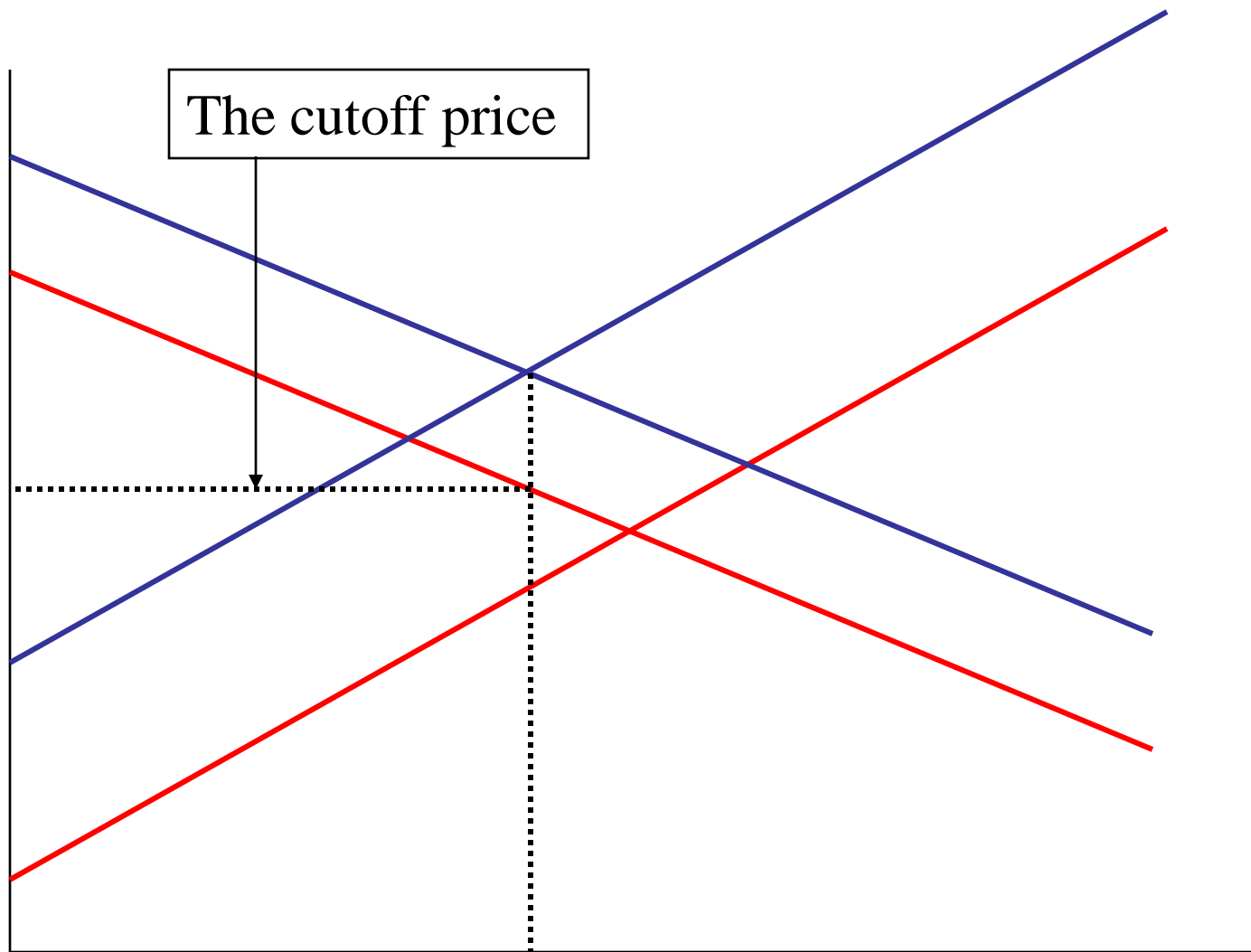
- THE COMPETITIVE EQUILIBRIUM
- EFFICIENCY SEEKING SYSTEMS
- THE ASSIGNMENT MODEL



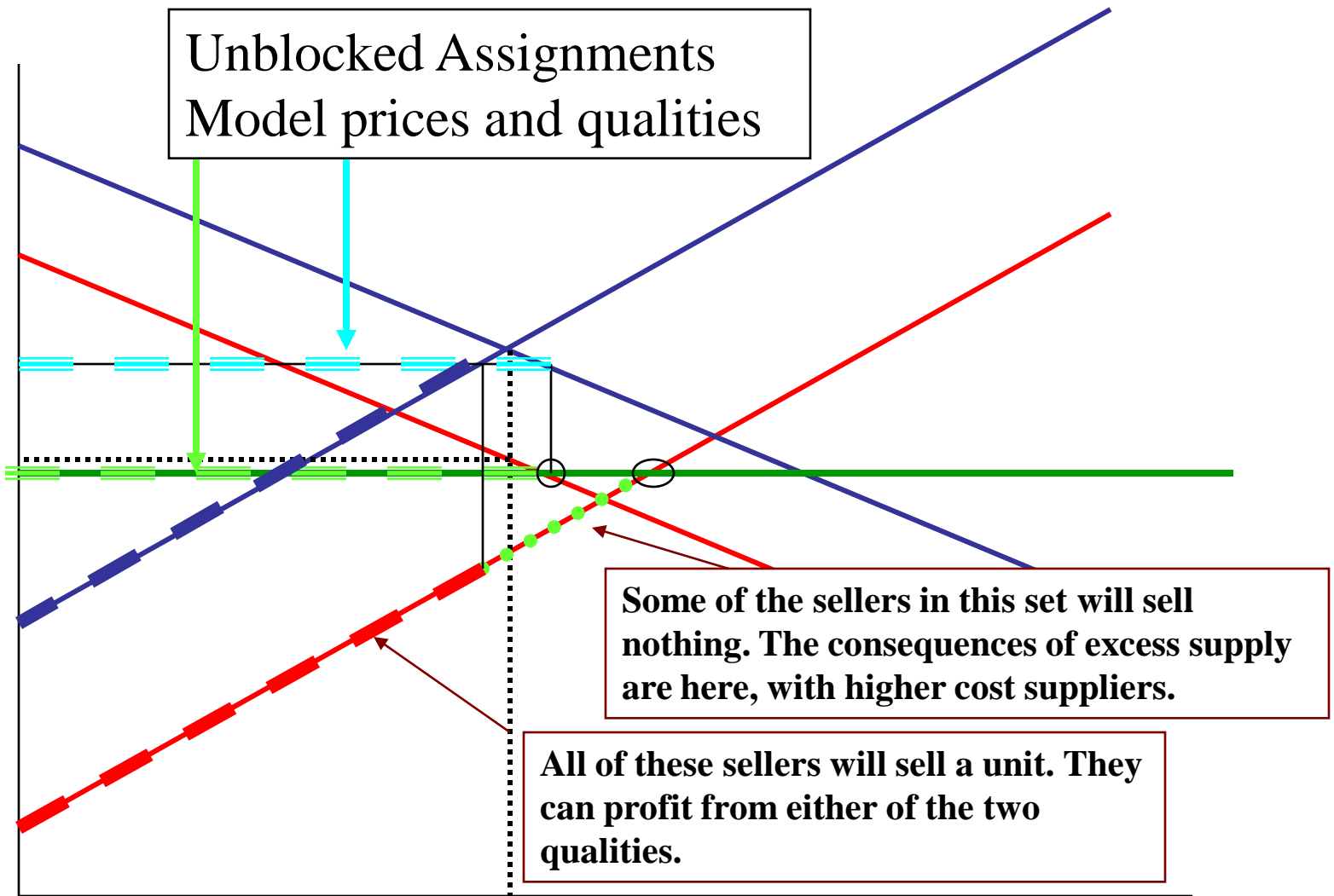
COMPETING PRINCIPLES: THE UNBLOCKED ASSIGNMENTS MODEL

$\langle x, B(x), Q(x), P(x) \rangle$
unblocked

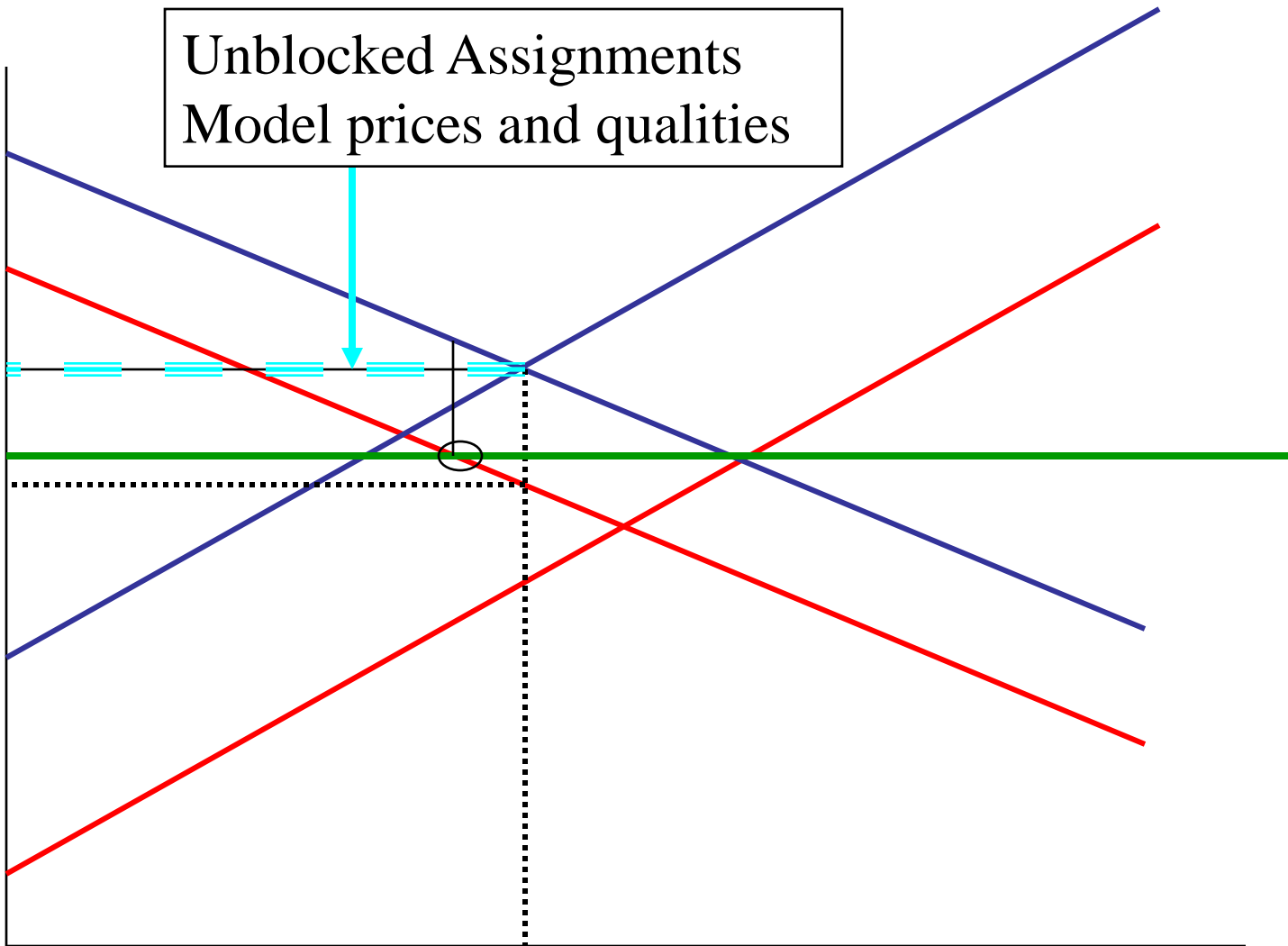




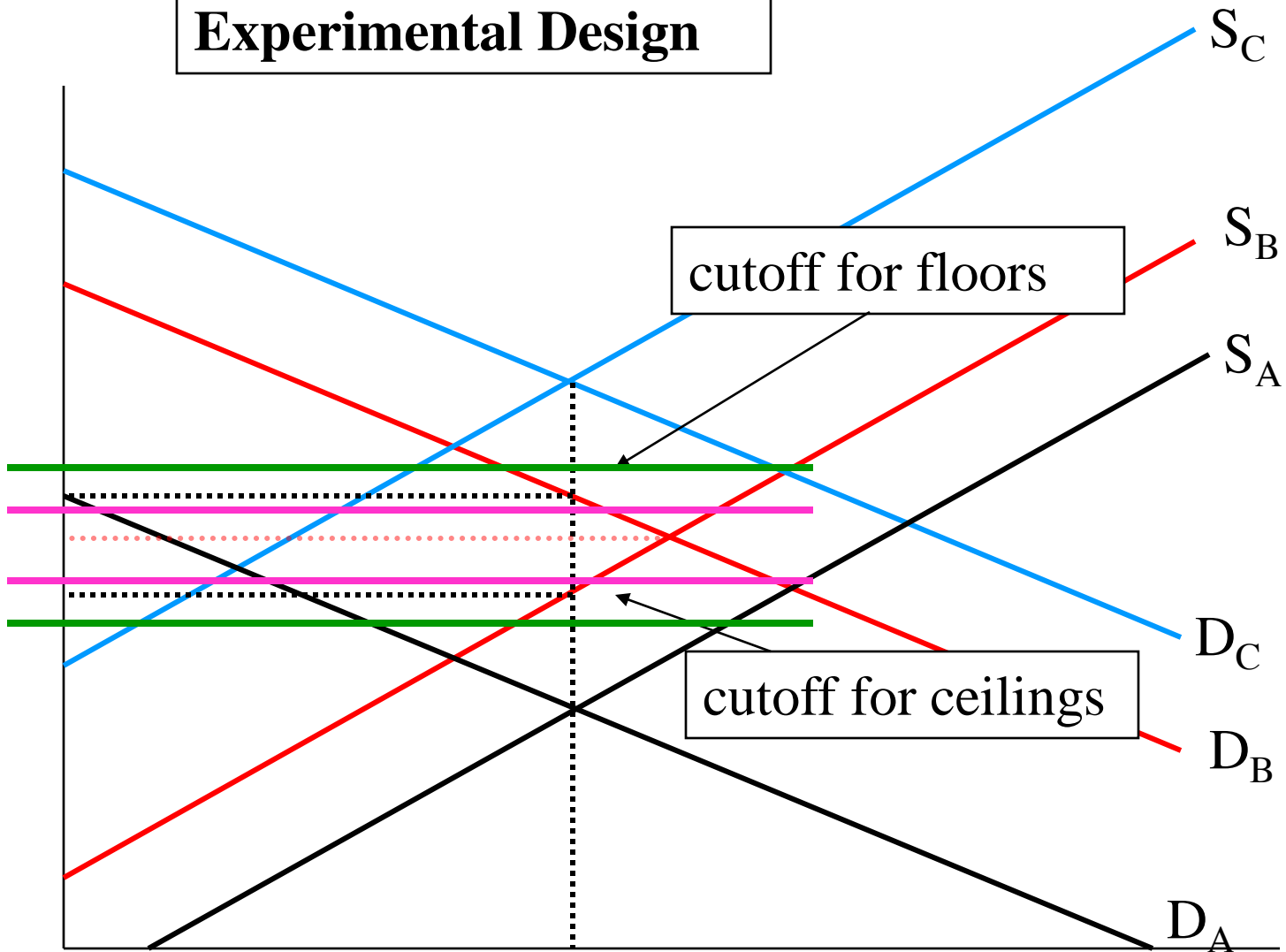
The cutoff price



Unblocked Assignments
Model prices and qualities



Experimental Design

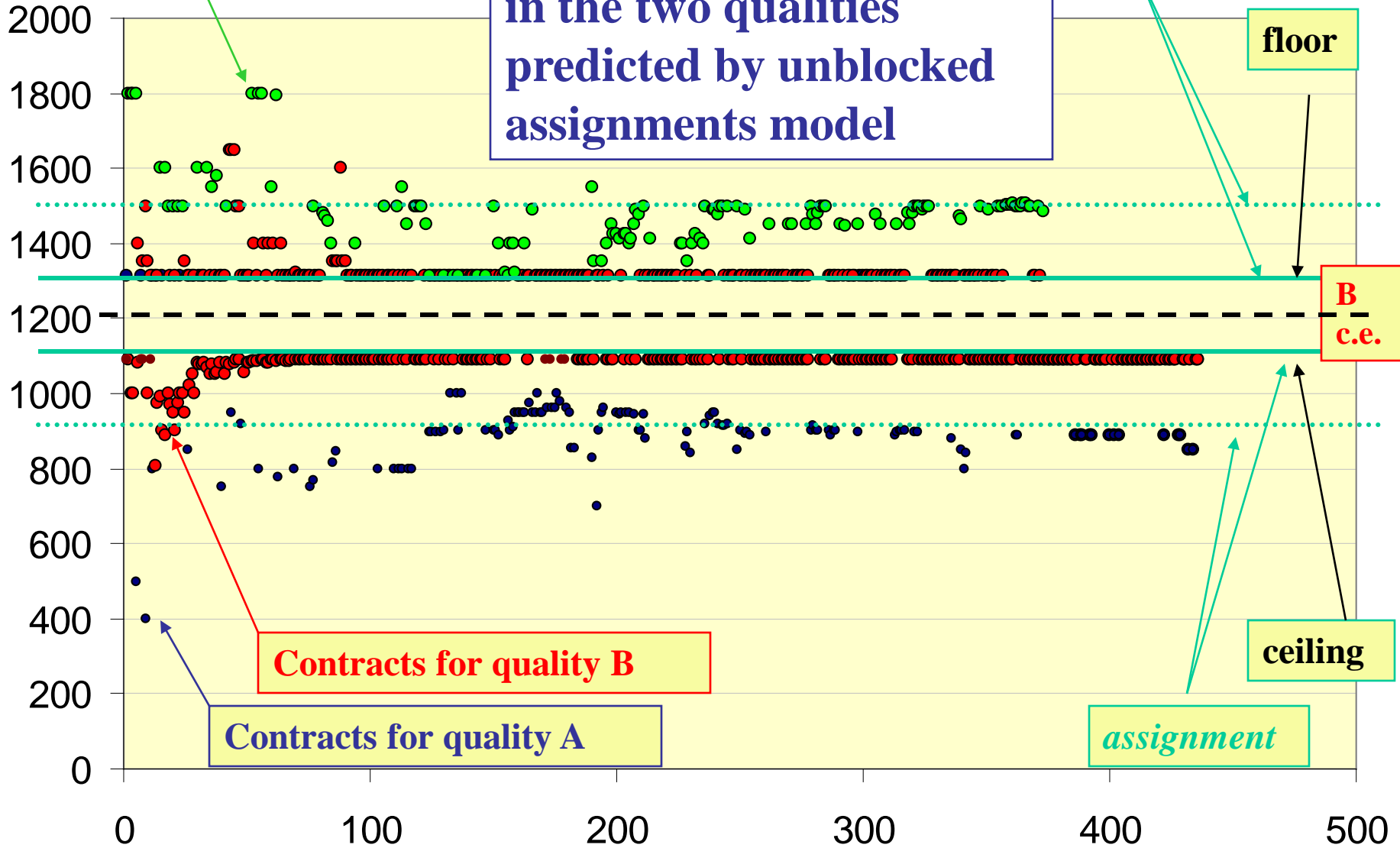


Contracts for quality C

Ceilings and floors on the inside of the cutoff result in the two qualities predicted by unblocked assignments model

assignment

floor



Contracts for quality B

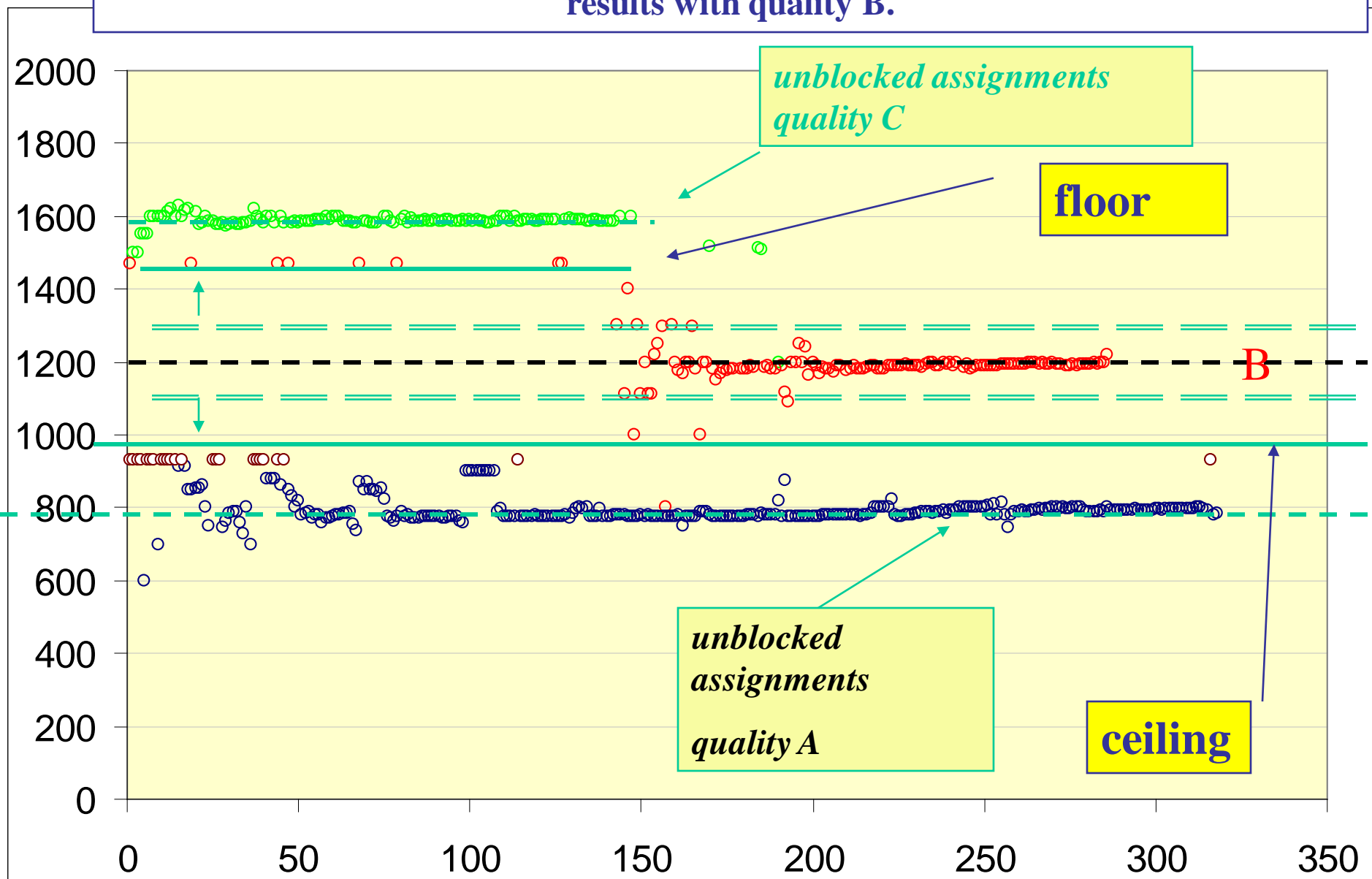
Contracts for quality A

B
c.e.

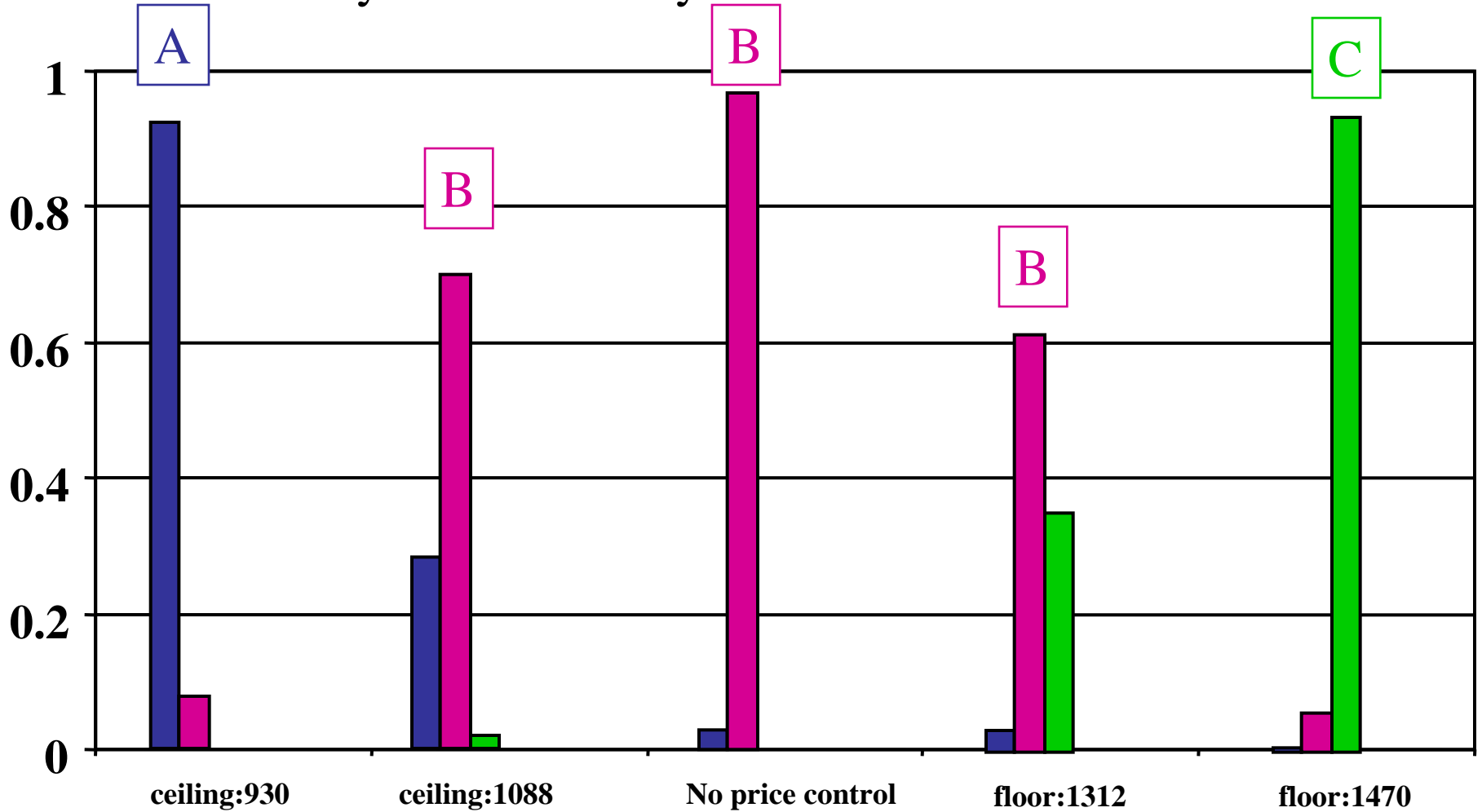
ceiling

assignment

If ceiling is lowered to the outside the cutoff, it is no longer binding in the market and if floor is raised above the cutoff it is no longer binding in the market. One “inefficient” quality emerges. When floor is removed the general equilibrium results with quality B.



Quantity Volume: 100% B is the system efficiency allocation



Conclusions

Market respond to price floors and price ceilings through quality adjustments

The unblocked assignments model explains the patterns when the competitive equilibrium exists and when it does not..

- The optimal quality emerges from 10 competing qualities when markets are unconstrained.**
- The path of multiple quality convergence is through the isolated equilibrium prices of independent qualities. Volume adjustment does not follow a “smooth quality adjustment” path.**

POSTSCRIPT: LONG STANDING PARADOX RESOLVED

The Walrasian Equilibrium-
where quantity demanded
equals quantity supplied-
does not exist.

The unblocked assignments
model does exist.

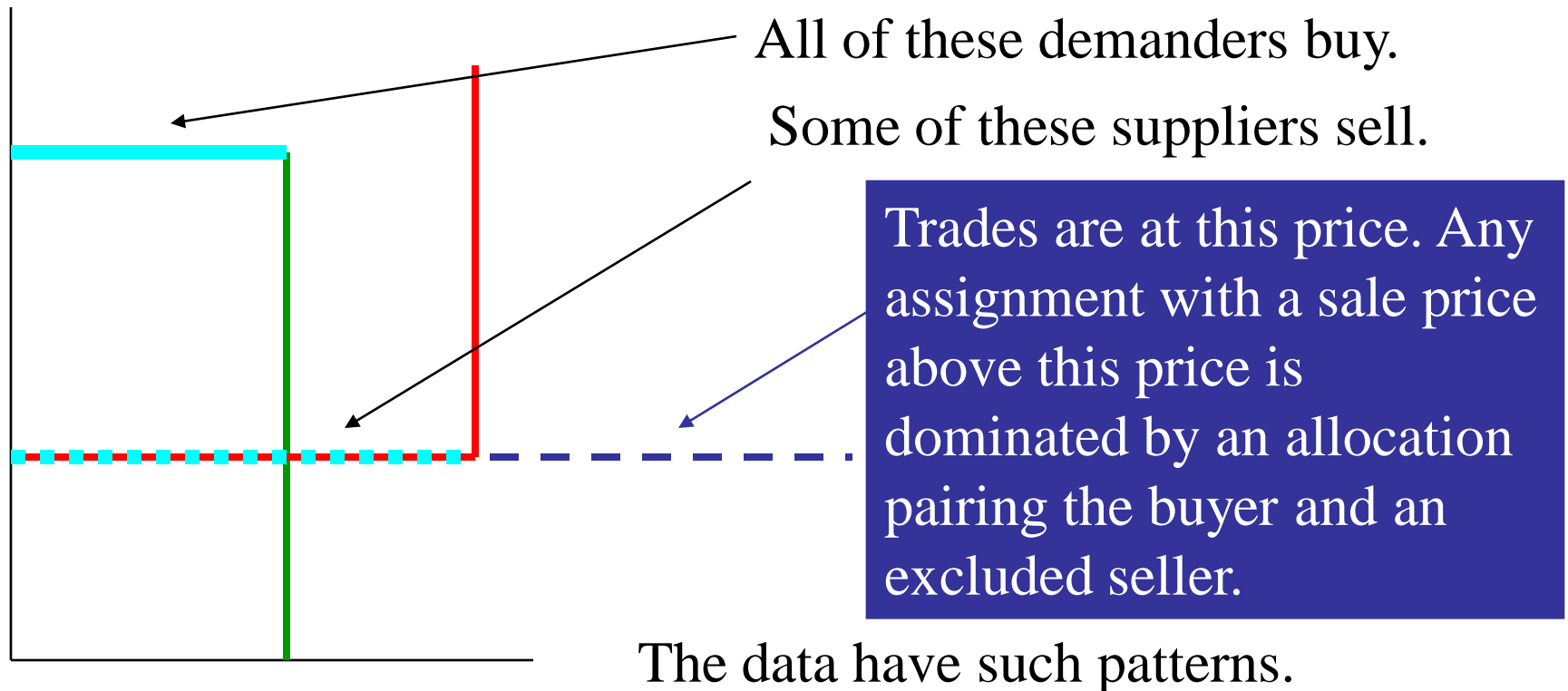
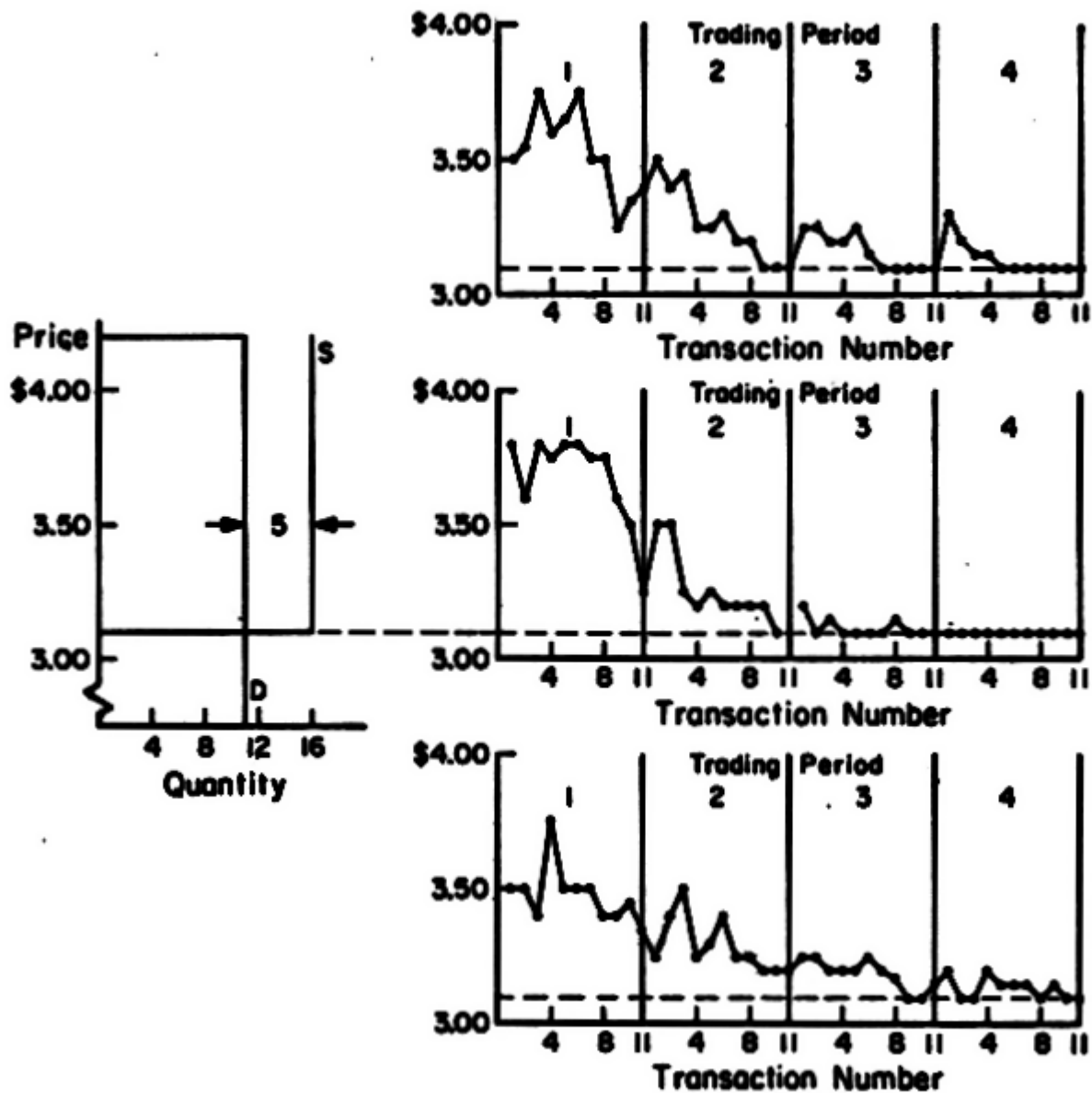


CHART 7



*The
End*

Efficiency (%)

Experiment	020524	021122
Period	w/o minprice	w/o minprice
1	82.3	81.5
2	85.9	87.5
3	91.3	95.2
4	91.8	93.7
5	93.4	94.0
6	92.6	98.1
7	93.6	95.6
8		96.9
9	□	

90.1

Efficiency by Periods (%)

021204	021210		030123	
with min price	with min price	w/o min price	with min price	w/o min price
59.7	66.8		64.4	
60.8	64.3		64.9	
53.1	64.1		62.6	
60.8		78.9	62.7	
59.0		95.3	64.7	
60.3		96.1	63.0	
64.0		98.8		87.9
64.8				93.5
<hr/>				
-	-	92.3	-	90.7
<hr/>				
60.3	65.0	-	63.7	-
<hr/>				

In the absence of price controls the following two slides demonstrate how the laws of supply and demand work. Markets equilibrate over time to the equilibrium price and quantity. This happens even when the demands and supplies are subject to continuous shocks.

THE EXPERIMENTAL ENVIRONMENT

utility depends upon the number of units regardless of type...
plus value added by the numbers of particular types.

$$U^j(\mathbf{x}) = M + V(\sum x_i) + \sum a_i x_i$$

$$C^k(\mathbf{x}) = G(\sum x_i) + \sum b_i x_i$$

Marginal values go down with units

$$\partial U^j(\mathbf{x}) / \partial x_i = V'(\sum x_i) + a_i$$

Marginal costs go up with units

$$\partial C^k(\mathbf{x}) / \partial x_i = G'(\sum x_i) + b_i$$

Marginal rates of substitution are independent of volume

THE EXPERIMENTAL ENVIRONMENT

$$U^j(\mathbf{x}) = M + V(\Sigma x_i) + \Sigma a_i x_i$$

$$C^k(\mathbf{x}) = G(\Sigma x_i) + \Sigma b_i x_i$$

Marginal values go down with units

$$\partial U^j(\mathbf{x}) / \partial x_i = V'(\Sigma x_i) + a_i$$

Marginal costs go up with units

$$\partial C^k(\mathbf{x}) / \partial x_i = G'(\Sigma x_i) + b_i$$

Marginal rates of substitution are independent of volume

Example of induced costs for a seller

Relative marginal costs are independent of sales
but marginal cost goes up with volume of all sales

COST Table of Seller 101, Type 1

X	A	B	C	D	E	F	G	H	I	J	
1	3413	3690	4013	4377	4781	5220	5693	6195	6725	7278	3690
2	3433	3710	4033	4397	4801	5240	5713	6215	6745	7298	4801
3	3453	3730	4053	4417	4821	5260	5733	6235	6765	7318	3730
4	3473	3750	4073	4437	4841	5280	5753	6255	6785	7338	3750
5	3493	3770	4093	4457	4861	5300	5773	6275	6805	7358	3750
6	3513	3790	4113	4477	4881	5320	5793	6295	6825	7378	3493
7	3533	3810	4133	4497	4901	5340	5813	6315	6845	7398	
8	3553	3830	4153	4517	4921	5360	5833	6335	6865	7418	
9	3573	3850	4173	4537	4941	5380	5853	6355	6885	7438	
10	3593	3870	4193	4557	4961	5400	5873	6375	6905	7458	
11	3613	3890	4213	4577	4981	5420	5893	6395	6925	7478	
12	3633	3910	4233	4597	5001	5440	5913	6415	6945	7498	
13	3653	3930	4253	4617	5021	5460	5933	6435	6965	7518	
14	3673	3950	4273	4637	5041	5480	5953	6455	6985	7538	
15	3693	3970	4293	4657	5061	5500	5973	6475	7005	7558	

The order with which sales and deliveries are made does not effect costs.

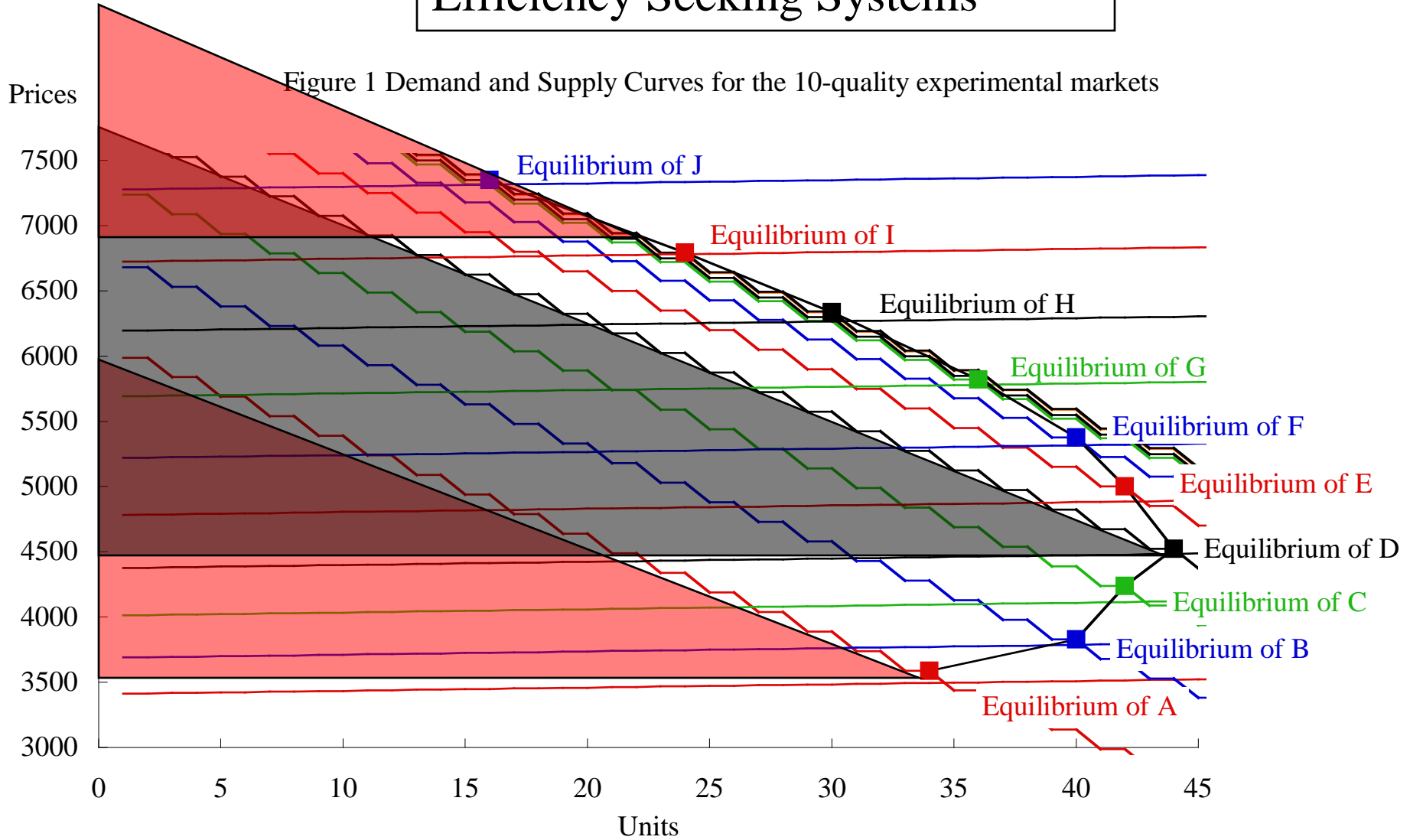
The General Competitive Equilibrium Model

	General Competitive Equilibrium			Isolated Market Equilibria (each market treated as it is the only market that exists)		Isolated Market Surplus
Quality/ Market	Price	Volume		Price	Volume	
A	$P_D - 1686 < P_A < P_D - 946$	0		3493-3498	34	45,390
B	$P_D - 944 < P_B < P_D - 687$	0		3685-3790	40	60,700
C	$P_D - 436 < P_C < P_D - 364$	0		4113-4118	42	70,350
D	$4482 < P_D < 4488$	44		4482-4487	44	73,458
E	$P_D + 326 < P_E < P_D + 404$	0		4881-4886	42	70,098
F	$P_D + 554 < P_F < P_D + 843$	0		5315-5320	40	61,420
G	$P_D + 696 < P_G < P_D + 1316$	0		5778-5783	36	48,942
H	$P_D + 764 < P_H < P_D + 1820$	0		6265-6270	30	34,740
I	$P_D + 770 < P_I < P_D + 2350$	0		6780-6785	24	20,796
J	$P_D + 726 < P_J < P_D + 2903$	0		7313-7318	16	9,272

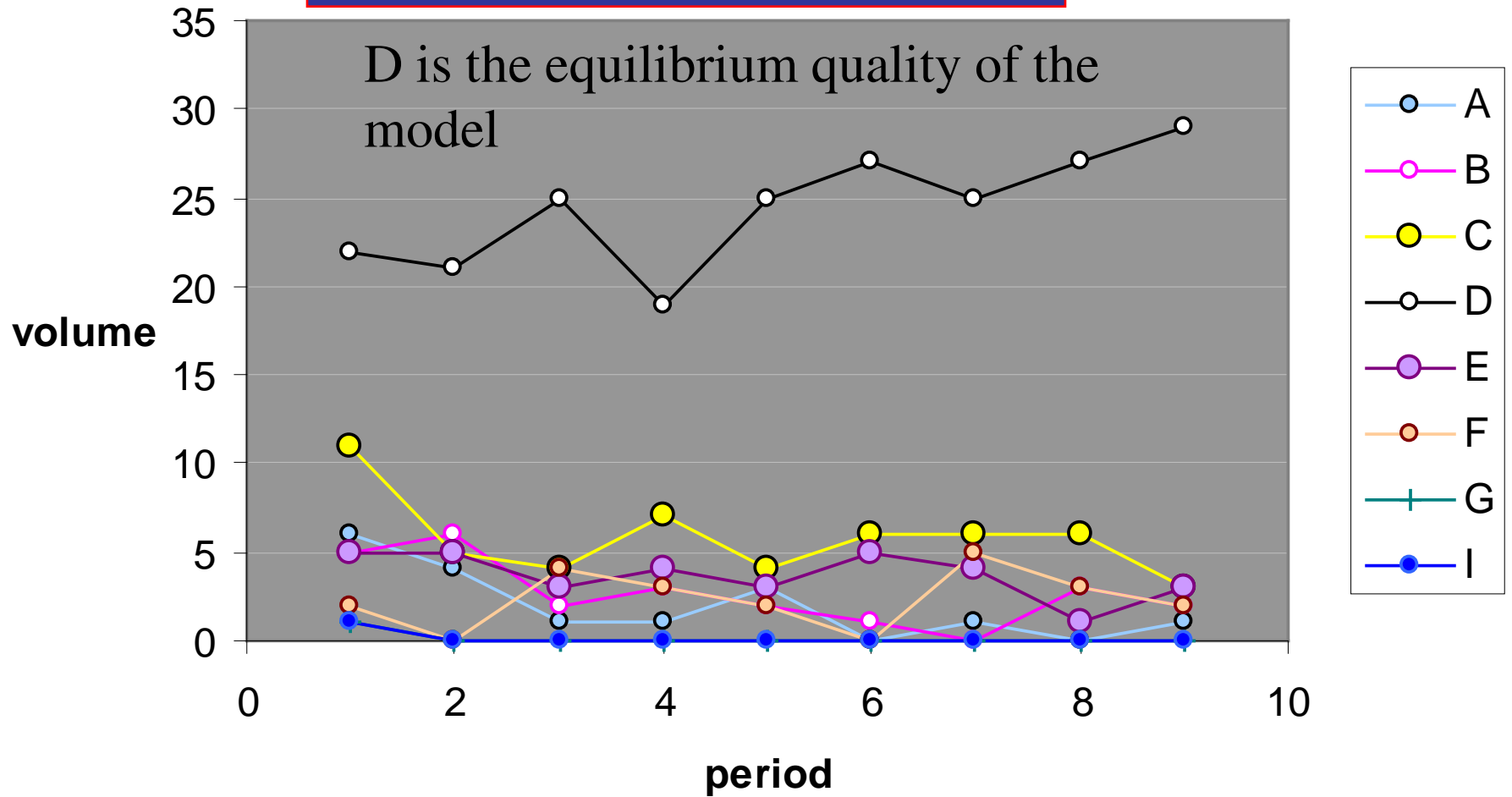
IN UNCONSTRAINED MARKETS
THE THREE MODELS PREDICT THE SAME
AND ALL THREE ARE SUPPORTED

Efficiency Seeking Systems

Figure 1 Demand and Supply Curves for the 10-quality experimental markets



Volume in neighboring markets does not go up.



Quality

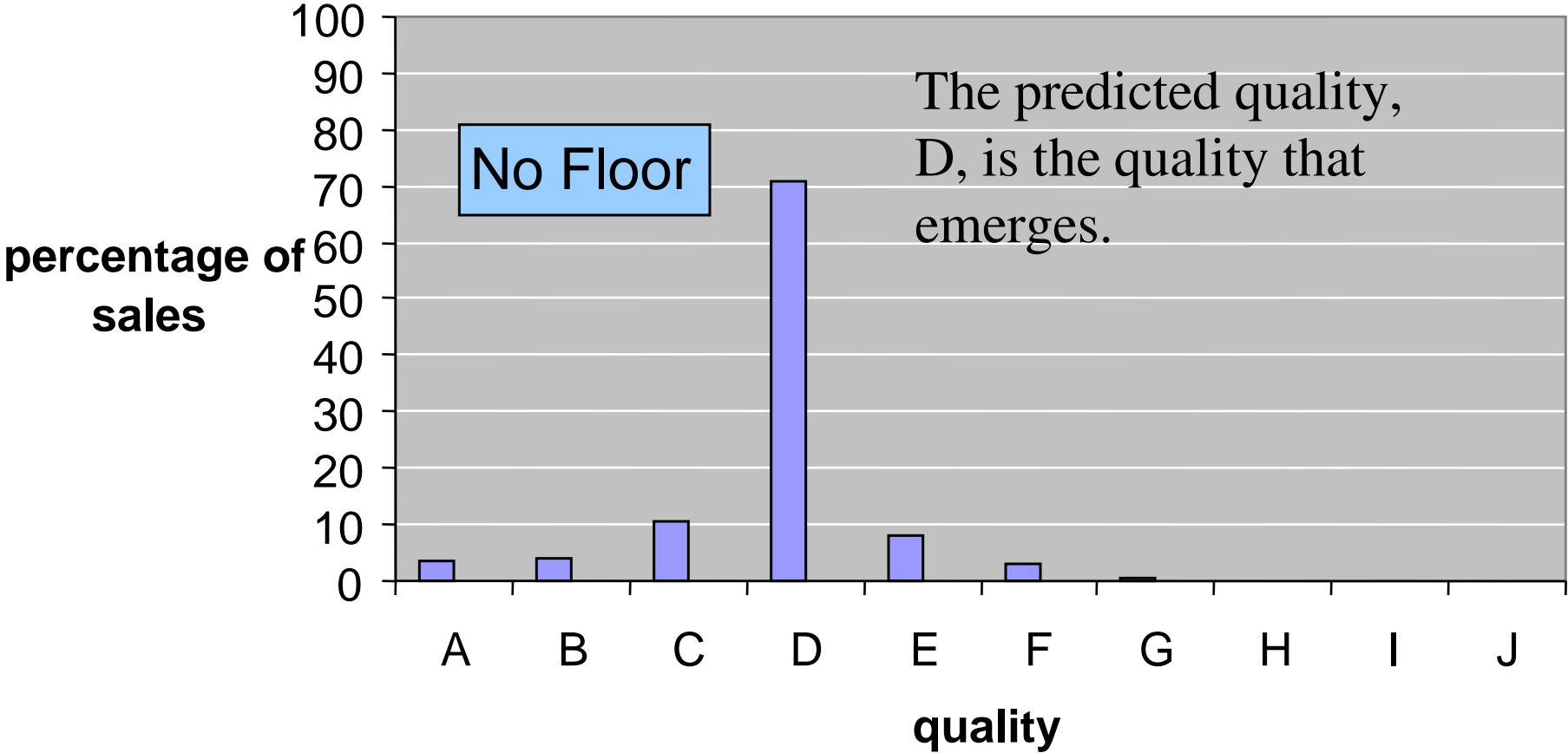
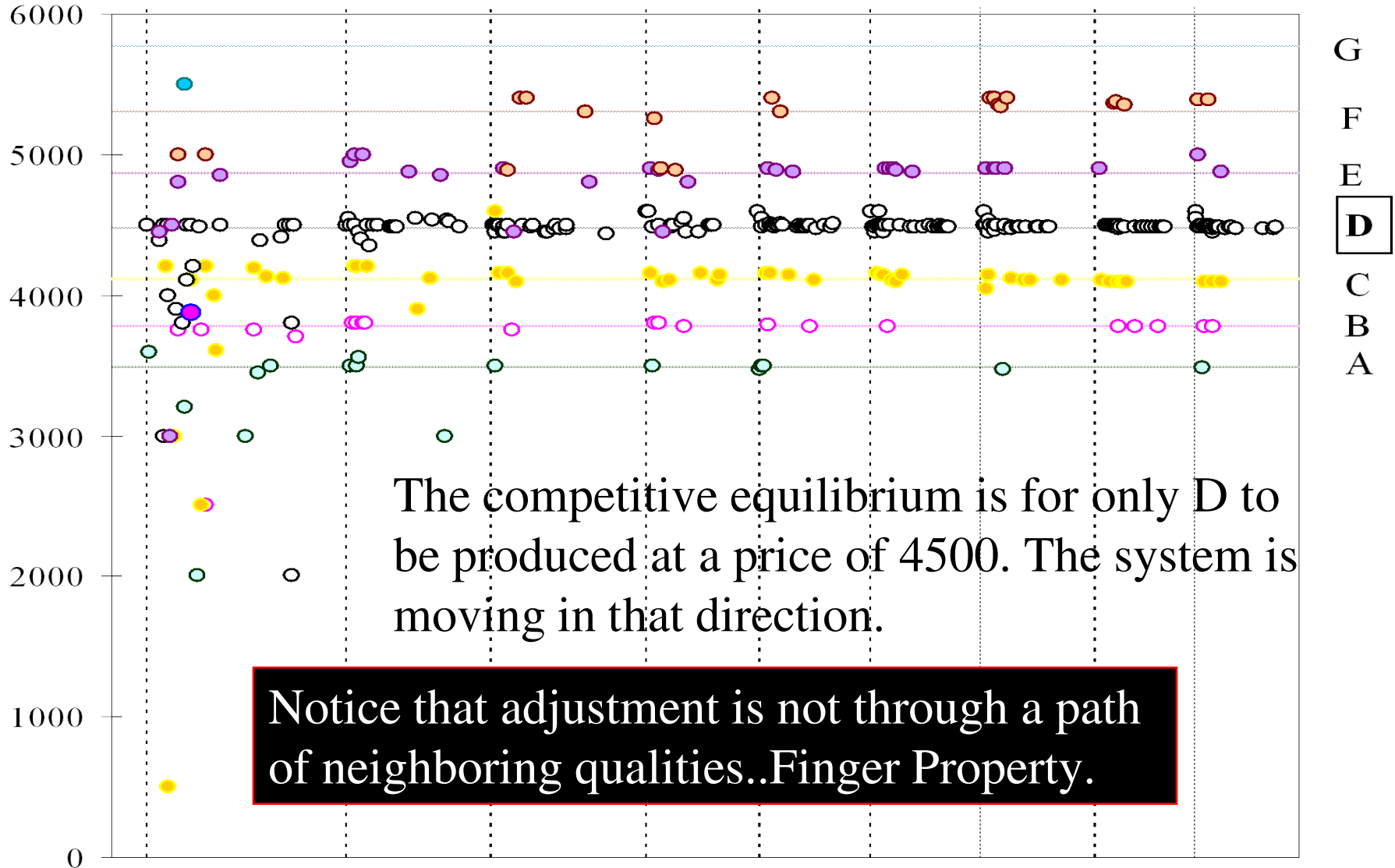
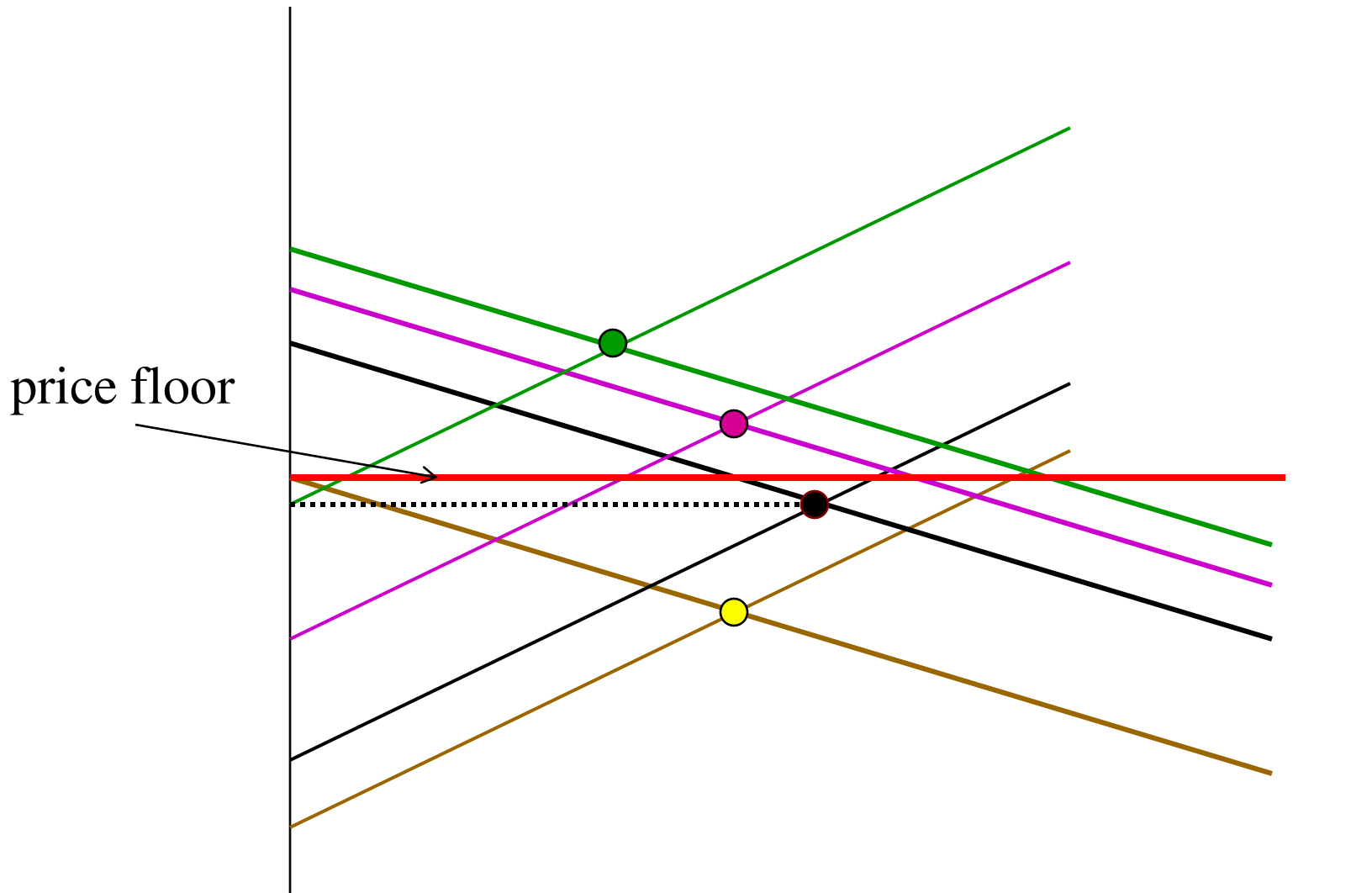


Figure 4 Traded Prices (Experiment 021122)

Price



A PRICE FLOOR IS IMPOSED



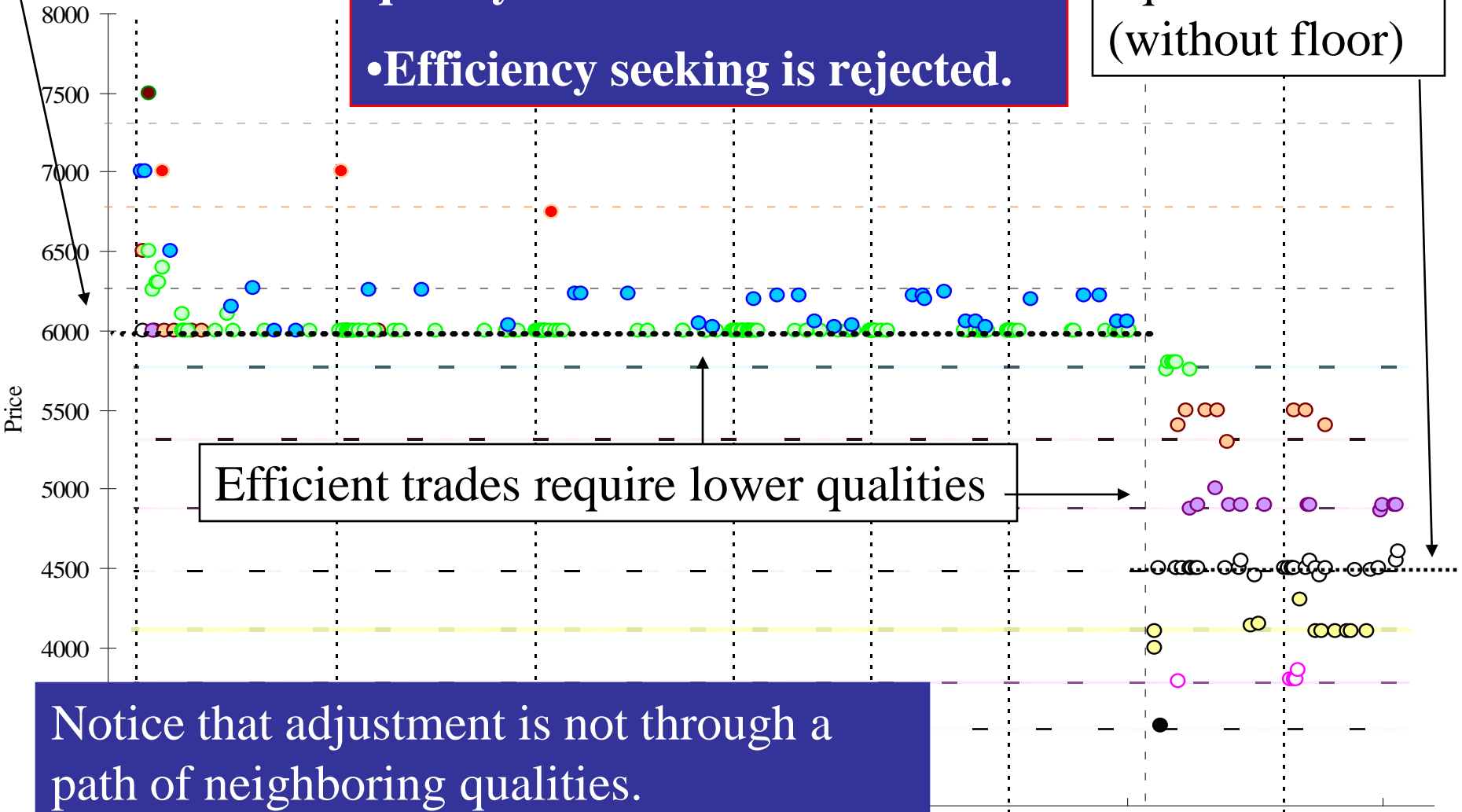
PRICE FLOORS ARE IMPLEMENTED

- Price floors foster non-price competition resulting in higher quality products.
- The efficiency seeking theory of markets does not explain the results.
- The unblocked assignments model has accurate predictions when price floors exist and when they do not exist.

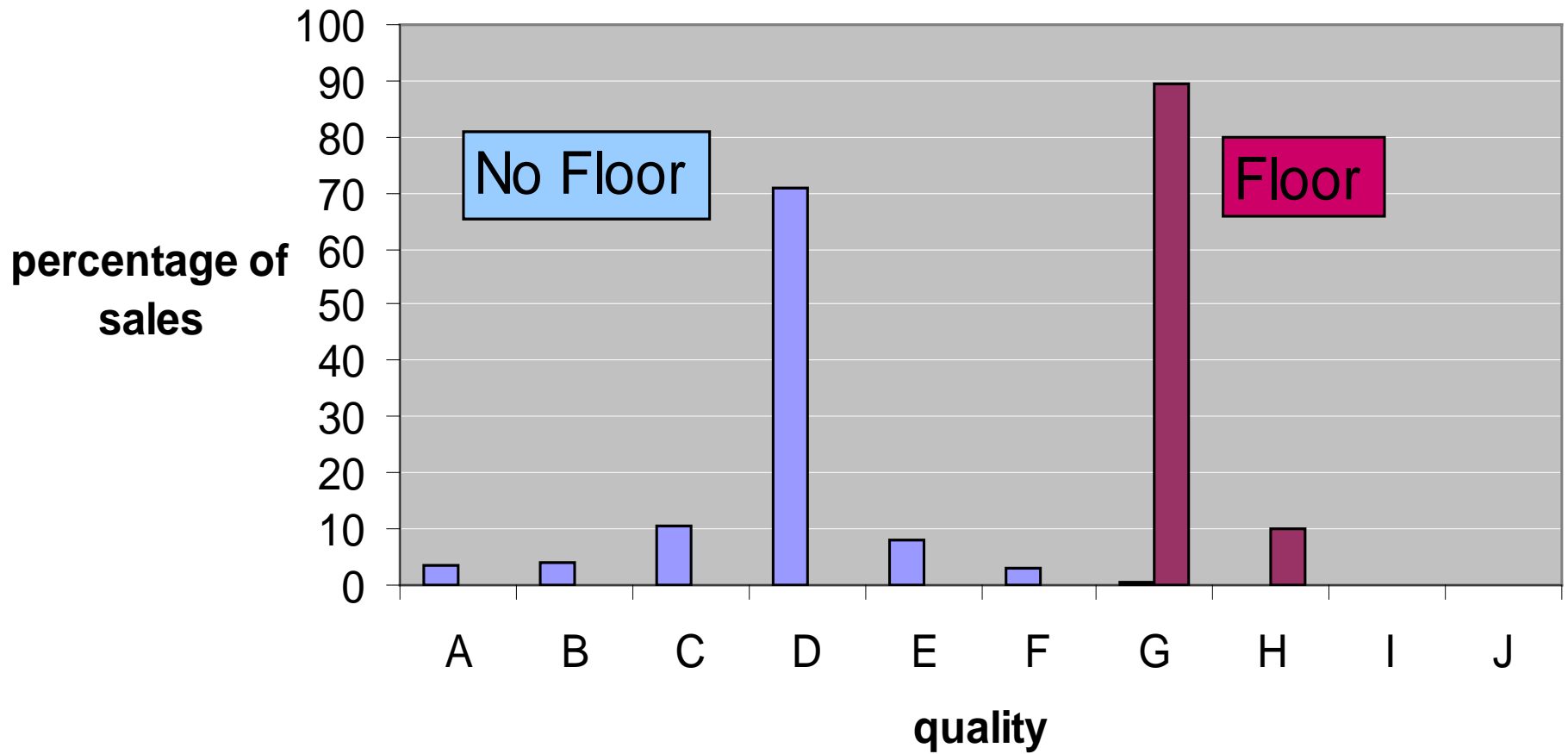
Price floor

- Price floors cause increased quality.
- Efficiency seeking is rejected.

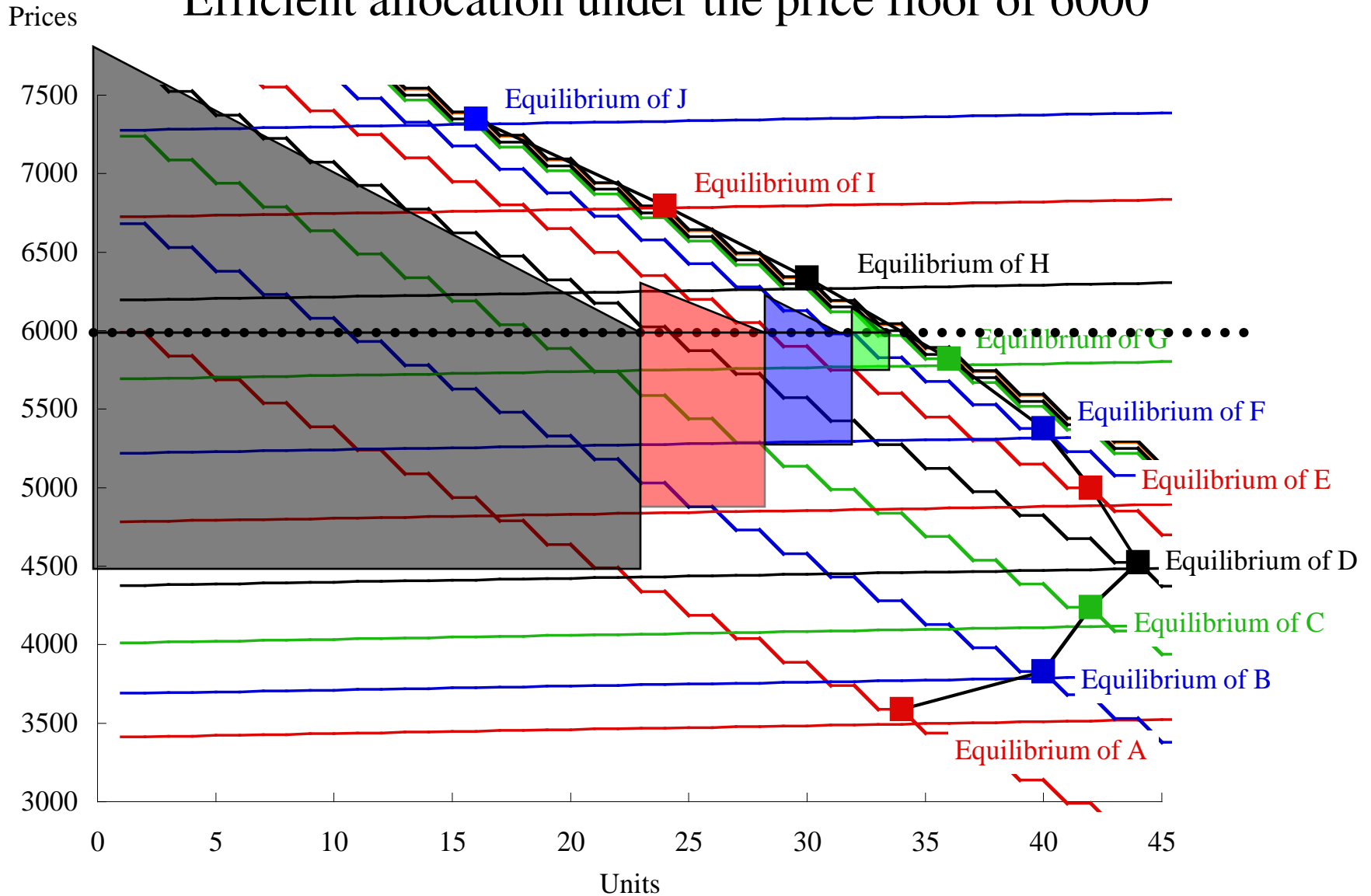
Competitive equilibrium
(without floor)



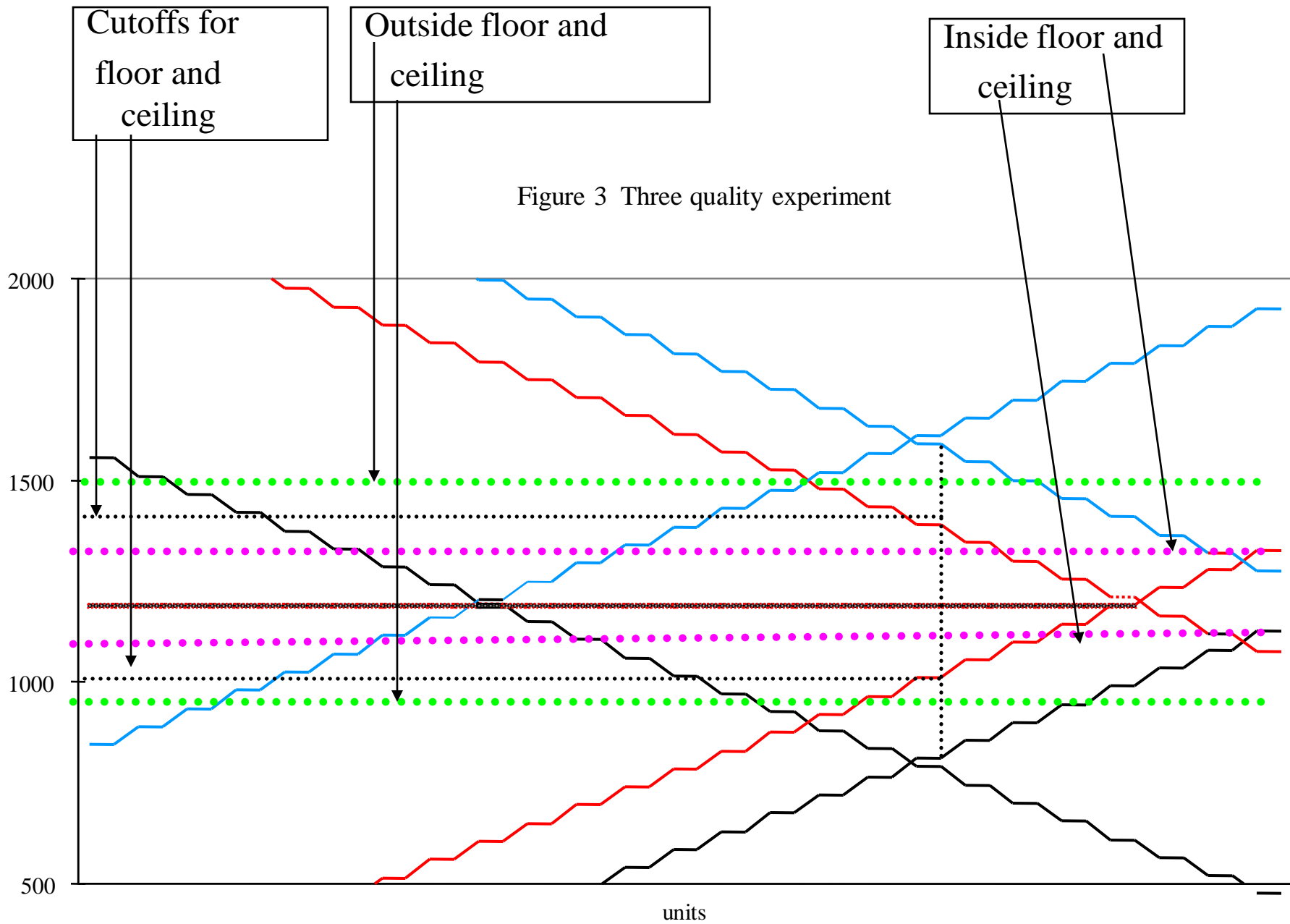
Quality Volumes: The Impact of Price Floors on Quality



Efficient allocation under the price floor of 6000



A CLOSE LOOK AT THE
UNBLOCKED ASSIGNMENTS MODEL
SOME COMPLEX AND DELICATE
PREDICTIONS



Summary: Floors below and above cutoff – Ceilings above and below cutoff.

